DRAFT

Grade 3 Mathematics Item Specifications



The draft Florida Standards Assessments (FSA) *Test Item Specifications* (*Specifications*) are based upon the Florida Standards and the Florida Course Descriptions as provided in <u>CPALMs</u>. The *Specifications* are a resource that defines the content and format of the test and test items for item writers and reviewers. Each grade-level and course *Specifications* document indicates the alignment of items with the Florida Standards. It also serves to provide all stakeholders with information about the scope and function of the FSA.

Item Specifications Definitions

Also assesses refers to standard(s) closely related to the primary standard statement.

Clarification statements explain what students are expected to do when responding to the question.

Assessment limits define the range of content knowledge and degree of difficulty that should be assessed in the assessment items for the standard.

Item types describe the characteristics of the question.

Context defines types of stimulus materials that can be used in the assessment items.

- Context Allowable refers to items that may but are not required to have context.
- Context No context refers to items that should not have context.
- Context Required refers to items that must have context.

Technology-Enhanced Item Descriptions:

The Florida Standards Assessments (FSA) are composed of test items that include traditional multiple-choice items, items that require students to type or write a response, and technology-enhanced items (TEI). Technology-enhanced items are computer-delivered items that require students to interact with test content to select, construct, and/or support their answers.

Currently, there are nine types of TEIs that may appear on computer-based assessments for FSA Mathematics. For students with an IEP or 504 plan that specifies a paper-based accommodation, TEIs will be modified or replaced with test items that can be scanned and scored electronically.

For samples of each of the item types described below, see the FSA Training Tests.

<u>Technology-Enhanced Item Types - Mathematics</u>

- 1. <u>Editing Task Choice</u> The student clicks a highlighted word or phrase, which reveals a drop-down menu containing options for correcting an error as well as the highlighted word or phrase as it is shown in the sentence to indicate that no correction is needed. The student then selects the correct word or phrase from the drop-down menu. For paper-based assessments, the item is modified so that it can be scanned and scored electronically. The student fills in a circle to indicate the correct word or phrase.
- 2. <u>Editing Task</u> The student clicks on a highlighted word or phrase that may be incorrect, which reveals a text box. The directions in the text box direct the student to replace the highlighted word or phrase with the correct word or phrase. For paper-based assessments, this item type may be replaced with another item type that assesses the same standard and can be scanned and scored electronically.

3. Hot Text -

a. <u>Selectable Hot Text</u> – Excerpted sentences from the text are presented in this item type. When the student hovers over certain words, phrases, or sentences, the options highlight. This indicates that the text is selectable ("hot"). The student can then click on an option to select it. For paper-based assessments, a "selectable" hot text item is modified so that it can be scanned and scored electronically. In this version, the student fills in a circle to indicate a selection.

- b. <u>Drag-and-Drop Hot Text</u> Certain numbers, words, phrases, or sentences may be designated "draggable" in this item type. When the student hovers over these areas, the text highlights. The student can then click on the option, hold down the mouse button, and drag it to a graphic or other format. For paper-based assessments, drag-and-drop hot text items will be replaced with another item type that assesses the same standard and can be scanned and scored electronically.
- **4. Open Response** The student uses the keyboard to enter a response into a text field. These items can usually be answered in a sentence or two. For paper-based assessments, this item type may be replaced with another item type that assesses the same standard and can be scanned and scored electronically.
- **5.** <u>Multiselect</u> The student is directed to select all of the correct answers from among a number of options. These items are different from multiple-choice items, which allow the student to select only one correct answer. These items appear in the online and paper-based assessments.
- **6. Graphic Response Item Display (GRID)** The student selects numbers, words, phrases, or images and uses the drag-and-drop feature to place them into a graphic. This item type may also require the student to use the point, line, or arrow tools to create a response on a graph. For paper-based assessments, this item type may be replaced with another item type that assesses the same standard and can be scanned and scored electronically.
- 7. Equation Editor The student is presented with a toolbar that includes a variety of mathematical symbols that can be used to create a response. Responses may be in the form of a number, variable, expression, or equation, as appropriate to the test item. For paper-based assessments, this item type may be replaced with a modified version of the item that can be scanned and scored electronically or replaced with another item type that assesses the same standard and can be scanned and scored electronically.
- **8.** <u>Matching Item</u> The student checks a box to indicate if information from a column header matches information from a row. For paper-based assessments, this item type may be replaced with another item type that assesses the same standard and can be scanned and scored electronically.
- 9. <u>Table Item</u> The student types numeric values into a given table. The student may complete the entire table or portions of the table depending on what is being asked. For paper-based assessments, this item type may be replaced with another item type that assesses the same standard and can be scanned and scored electronically.

Mathematical Practices:

The Mathematical Practices are a part of each course description for Grades 3-8, Algebra 1, Geometry, and Algebra 2. These practices are an important part of the curriculum. The Mathematical Practices will be assessed throughout.

Make sense of problems and persevere in solving them.

Mathematically proficient students start by explaining to themselves the meaning of a problem and looking for entry points to its solution. They analyze givens, constraints, relationships, and goals. They make conjectures about the form and meaning of the solution and plan a solution pathway rather than simply jumping into a solution attempt. They consider analogous problems, and try special cases and simpler forms of the original problem in order to gain insight into its solution. They monitor and evaluate their progress and change course if necessary. Older students might, depending on the context of the problem, transform algebraic expressions or change the viewing window on their graphing calculator to get the information they need. Mathematically proficient students can explain correspondences between equations, verbal descriptions, tables, and graphs or draw diagrams of important features and relationships, graph data, and search for regularity or trends. Younger students might rely on using concrete objects or pictures to help conceptualize and solve a problem. Mathematically proficient students check their answers to problems using a different method, and they continually ask themselves, "Does this make sense?" They can understand the approaches of others to solving complex

MAFS.K12.MP.1.1:

Reason abstractly and quantitatively.

approaches.

MAFS.K12.MP.2.1:

Mathematically proficient students make sense of quantities and their relationships in problem situations. They bring two complementary abilities to bear on problems involving quantitative relationships: the ability to decontextualize—to abstract a given situation and represent it symbolically and manipulate the representing symbols as if they have a life of their own, without necessarily attending to their referents—and the ability to contextualize, to pause as needed during the manipulation process in order to probe into the referents for the symbols involved.

problems and identify correspondences between different

Quantitative reasoning entails habits of creating a coherent representation of the problem at hand; considering the units involved; attending to the meaning of quantities, not just how to compute them; and knowing and flexibly using different properties of operations and objects.

Construct viable arguments and critique the reasoning of others.

Mathematically proficient students understand and use stated assumptions, definitions, and previously established results in constructing arguments. They make conjectures and build a logical progression of statements to explore the truth of their conjectures. They are able to analyze situations by breaking them into cases, and can recognize and use counterexamples. They justify their conclusions, communicate them to others, and respond to the arguments of others. They reason inductively about data, making plausible arguments that take into account the context from which the data arose. Mathematically proficient students are also able to compare the effectiveness of two plausible arguments, distinguish correct logic or reasoning from that which is flawed, and—if there is a flaw in an argument—explain what it is. Elementary students can construct arguments using concrete referents such as objects, drawings, diagrams, and actions. Such arguments can make sense and be correct, even though they are not generalized or made formal until later grades. Later, students learn to determine domains to which an argument applies. Students at all grades can listen or read the arguments of others, decide whether they make sense, and ask useful questions to clarify or improve the arguments.

Model with mathematics.

Mathematically proficient students can apply the mathematics they know to solve problems arising in everyday life, society, and the workplace. In early grades, this might be as simple as writing an addition equation to describe a situation. In middle grades, a student might apply proportional reasoning to plan a school event or analyze a problem in the community. By high school, a student might use geometry to solve a design problem or use a function to describe how one quantity of interest depends on another. Mathematically proficient students who can apply what they know are comfortable making assumptions and approximations to simplify a complicated situation, realizing that these may need revision later. They are able to identify important quantities in a practical situation and map their relationships using such tools as diagrams, two-way tables, graphs, flowcharts and formulas. They can analyze those relationships mathematically to draw conclusions. They routinely interpret their

MAFS.K12.MP.3.1:

MAFS.K12.MP.4.1:

mathematical results in the context of the situation and reflect on whether the results make sense, possibly improving the model if it has not served its purpose.

Use appropriate tools strategically.

Mathematically proficient students consider the available tools when solving a mathematical problem. These tools might include pencil and paper, concrete models, a ruler, a protractor, a calculator, a spreadsheet, a computer algebra system, a statistical package, or dynamic geometry software. Proficient students are sufficiently familiar with tools appropriate for their grade or course to make sound decisions about when each of these tools might be helpful, recognizing both the insight to be gained and their limitations. For example, mathematically proficient high school students analyze graphs of functions and solutions generated using a graphing calculator. They detect possible errors by strategically using estimation and other mathematical knowledge. When making mathematical models, they know that technology can enable them to visualize the results of varying assumptions, explore consequences, and compare predictions with data. Mathematically proficient students at various grade levels are able to identify relevant external mathematical resources, such as digital content located on a website, and use them to pose or solve problems. They are able to use technological tools to explore and deepen their understanding of concepts.

MAFS.K12.MP.5.1:

Attend to precision.

MAFS.K12.MP.6.1:

Mathematically proficient students try to communicate precisely to others. They try to use clear definitions in discussion with others and in their own reasoning. They state the meaning of the symbols they choose, including using the equal sign consistently and appropriately. They are careful about specifying units of measure, and labeling axes to clarify the correspondence with quantities in a problem. They calculate accurately and efficiently, express numerical answers with a degree of precision appropriate for the problem context. In the elementary grades, students give carefully formulated explanations to each other. By the time they reach high school they have learned to examine claims and make explicit use of definitions.

Look for and make use of structure.

Mathematically proficient students look closely to discern a pattern or structure. Young students, for example, might notice that three and seven more is the same amount as seven and three more, or they may sort a collection of shapes according to how many sides the shapes have. Later, students will see 7×8 equals the well remembered $7 \times 5 + 7 \times 3$, in preparation for learning about the distributive property. In the expression $x^2 + 9x + 14$, older students can see the 14 as 2×7 and the 9 as 2 + 7. They recognize the significance of an existing line in a geometric figure and can use the strategy of drawing an auxiliary line for solving problems. They also can step back for an overview and shift perspective. They can see complicated things, such as some algebraic expressions, as single objects or as being composed of several objects. For example, they can see $5 - 3(x - y)^2$ as 5 minus a positive number times a square and use that to realize that its value cannot be more than 5 for any real numbers x and y.

Look for and express regularity in repeated reasoning.

Mathematically proficient students notice if calculations are repeated, and look both for general methods and for shortcuts. Upper elementary students might notice when dividing 25 by 11 that they are repeating the same calculations over and over again, and conclude they have a repeating decimal. By paying attention to the calculation of slope as they repeatedly check whether points are on the line through (1, 2) with slope 3, middle school students might abstract the equation (y-2)/(x-1) = 3. Noticing the regularity in the way terms cancel when expanding (x-1)(x+1), $(x-1)(x^2+x+1)$ 1), and $(x-1)(x^3 + x^2 + x + 1)$ might lead them to the general formula for the sum of a geometric series. As they work to solve a problem, mathematically proficient students maintain oversight of the process, while attending to the details. They continually evaluate the reasonableness of their intermediate results.

MAFS.K12.MP.7.1:

MAFS.K12.MP.8.1:

Reference Sheets:

- Reference sheets and z-tables will be available as online references (in a pop-up window). A paper version will be available for paper-based tests.
- Reference sheets with conversions will be provided for FSA Mathematics assessments in Grades 4–8 and EOC Mathematics assessments.
- There is no reference sheet for Grade 3.
- For Grades 4, 6, and 7, Geometry, and Algebra 2, some formulas will be provided on the reference sheet.
- For Grade 5 and Algebra 1, some formulas may be included with the test item if needed to meet the intent of the standard being assessed.
- For Grade 8, no formulas will be provided; however, conversions will be available on a reference sheet.
- For Algebra 2, a z-table will be available.

Grade	Conversions	Some Formulas	z-table
3	No	No	No
4	On Reference Sheet	On Reference Sheet	No
5	On Reference Sheet	With Item	No
6	On Reference Sheet	On Reference Sheet	No
7	On Reference Sheet	On Reference Sheet	No
8	On Reference Sheet	No	No
Algebra 1	On Reference Sheet	With Item	No
Algebra 2	On Reference Sheet	On Reference Sheet	Yes
Geometry	On Reference Sheet	On Reference Sheet	No

Content Standard	MAFS.3.OA Operations and Algebraic Thinking		
	MAFS.3.OA.1 Represent and solve problems involving multiplication and division.		
	MAFS.3.OA.1.1 Interpret products of whole numbers, e.g., intertotal number of objects in 5 groups of 7 objects each. For exam context in which a total number of objects can be expressed as	nple, describe a	
Assessment Limits	Whole number factors may not exceed 10 x 10. Students may not be required to write an equation to represent a product of whole numbers.		
Calculator	No		
Item Types	Equation Editor		
	Multiple Choice		
	Multiselect		
	Open Response		
	Table Item		
Context	Allowable	I -	
Sample Item		Item Type	
Tom told Mary he planted 4 x 5 flowers. How might Mary describe the arrangement of flowers in Tom's rectangular-shaped garden? Open Response			
Tom told Mary he planted 48 flowers in the rectangular-shaped garden. Which sentence could Mary use to describe how the flowers were planted? Multiple Choice			
A. Tom planted 24	rows of 24 flowers.		
B. Tom planted 4 r	rows of 24 flowers.		
	rows of 8 flowers.		
D. Tom planted 8 r	rows of 6 flowers.		
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.0A Operations and Algebraic Thinking		
	MAFS.3.OA.1 Represent and solve problems involving multiplication and division.		
	MAFS.3.OA.1.2 Interpret whole-number quotients of whole numinterpret 56 ÷ 8 as the number of objects in each share when 56 partitioned equally into 8 shares, or as a number of shares when partitioned into equal shares of 8 objects each. For example, defin which a number of shares or a number of groups can be expression.	objects are n 56 objects are scribe a context	
Assessment Limits	Whole number quotients and divisors may not exceed 10. Items may not require students to write an equation to represe whole numbers.	nt a quotient of	
Calculator	No		
Item Types	Equation Editor GRID Multiple Choice Multiselect Open Response		
Context	Allowable	_	
Sample Item		Item Type	
Heidi has 12 apples and 6 bags. She places an equal number of apples in each bag. Drag apples to show how many apples are in each bag. GRID			
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.OA Operations and Algebraic Thinking		
	MAFS.3.OA.1 Represent and solve problems involving multiplication and division.		
	MAFS.3.OA.1.3 Use multiplication and division within 100 to solin situations involving equal groups, arrays, and measurement using drawings and equations with a symbol for the unknown represent the problem.	quantities, e.g., by	
Assessment Limits	All values in items may not exceed whole number multiplication facts of 10 x 10 or the related division facts. Items may not contain more than one unknown per equation. Items may not contain the words "times as much/many."		
Calculator	No		
Item Types	Equation Editor GRID Multiple Choice Multiselect		
Context	Required		
Sample Item		Item Type	
Craig has 72 grapes grapes are in each g	. He separates the grapes into 9 equal groups. How many group?	Equation Editor	
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.OA Operations and Algebraic Thinking	
	MAFS.3.OA.1 Represent and solve problems involving multiplication and division.	
	MAFS.3.OA.1.4 Determine the unknown whole number in a mu division equation relating three whole numbers. For example, a unknown number that makes the equation true in each of the $8 \times ? = 48, 5 = _ \div 3, 6 \times 6 = ?$	determine the
Assessment Limits	All values in items may not exceed whole number multiplication facts of 10 x 10 or the related division facts. Items must provide the equation. Students may not be required to create the equation.	
Calculator	No	
Item Types	Equation Editor Multiple Choice Multiselect	
Context	No context	
Sample Item		Item Type
A division problem i	s shown.	Equation Editor
9 = 🗌 ÷ 3		
What is the value of	the unknown number?	
What is the value of the unknown number in the equation $72 \div \square = 9$?		Equation Editor
See Appendix for the practice test item aligned to this standard.		

Content Standard	MAFS.3.OA Operations and Algebraic Thinking		
	MAFS.3.OA.2 Understand properties of multiplication and the relationship between multiplication and division.		
	MAFS.3.OA.2.5 Apply properties of operations as strategies to divide. Examples: If $6 \times 4 = 24$ is known, then $4 \times 6 = 24$ is also (Commutative property of multiplication.) $3 \times 5 \times 2$ can be for then $15 \times 2 = 30$, or by $5 \times 2 = 10$, then $3 \times 10 = 30$. (Associative multiplication.) Knowing that $8 \times 5 = 40$ and $8 \times 2 = 16$, one call $(5 + 2) = (8 \times 5) + (8 \times 2) = 40 + 16 = 56$. (Distributive property.)	known. und by 3 × 5 = 15, we property of n find 8 × 7 as 8 ×	
Assessment Limit	All values in items may not exceed whole number multiplication the related division facts. Items may contain no more than two properties in an equation $(e.g., a \times (b + c) = (a \times b) + (c \times a))$.		
Calculator	No		
Item Types	Equation Editor GRID Matching Item Multiple Choice Multiselect		
Context	No context		
Sample Item		Item Type	
An equation is show	n.	Multiple Choice	
4 x 9 = 9 x What is the missing A. 4 B. 5 C. 9 D. 13	value?		
(3 + 4) + 5. 0 1 2 3 4	e boxes to create a different expression that is equal to $+ 5 = (\Box + \Box) + \Box$	GRID	

Sample Item	Item Type		
Select all the expressions that could be used to find 6 x 10.	Multiselect		
□ 10 x 6			
□ 6 x (2 x 5)			
\Box 6 + (2 x 5)			
□ (6 x 2) x 5			
\Box (6 x 8) x (6 x 2)			
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.OA Operations and Algebraic Thinking		
	MAFS.3.OA.2 Understand properties of multiplication and the relationship between multiplication and division.		
	MAFS.3.0A.2.6 Understand division as an unknown-factor proble find $32 \div 8$ by finding the number that makes 32 when multiplies	•	
Assessment Limit	All values in items may not exceed whole number multiplication facts of 10 x 10 or the related division facts.		
Calculator	No		
Item Types	Equation Editor		
	GRID		
	Multiple Choice		
	Multiselect		
Context	No context		
Sample Item		Item Type	
Create a multiplicat	ion equation that could be used to solve $21 \div 3 = \square$.	Equation Editor	
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.OA Operations and Algebraic Thinking		
	MAFS.3.OA.3 Multiply and divide within 100.		
	MAFS.3.OA.3.7 Fluently multiply and divide within 100, using st the relationship between multiplication and division (e.g., know 40, one knows $40 \div 5 = 8$) or properties of operations. By the exknow from memory all products of two one-digit numbers.	ving that 8 × 5 =	
Assessment Limit	All values in items may not exceed whole number multiplicatio or the related division facts.	n facts of 10 x 10	
Calculator	No		
Item Types	Equation Editor		
	Multiple Choice		
	Multiselect		
	Table Item		
Context	No context	1	
Sample Item		Item Type	
Multiply: 8 x 2		Equation Editor	
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.OA Operations and Algebraic Thinking		
	MAFS.3.OA.4 Solve problems involving the four operations, and identify and explain patterns in arithmetic.		
	MAFS.3.OA.4.8 Solve two-step word problems using the four op Represent these problems using equations with a letter standing unknown quantity. Assess the reasonableness of answers using computation and estimation strategies including rounding.	ng for the	
Assessment Limits	Adding and subtracting is limited to whole numbers within 1,000. All values in multiplication or division situations may not exceed whole number multiplication facts of 10 x 10 or the related division facts. Students may not be required to perform rounding in isolation. Equations may be provided in items.		
Calculator	No		
Item Types	Editing Task Choice Equation Editor Hot Text Multiple Choice Multiselect Open Response		
Context	Required		
Sample Item		Item Type	
A bookstore has 4 boxes of books. Each box contains 20 books. On Monday, the bookstore sold 16 books. How many books remain to be sold?			
On Monday, a bookstore sold 75 books. On Tuesday, the bookstore sold 125 books. The bookstore must sell 500 books by Friday. Create an equation that can be used to find how many more books, <i>b</i> , the bookstore must sell by Friday.			
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.OA Operations and Algebraic Thinking	
	MAFS.3.OA.4 Solve problems involving the four operations, and explain patterns in arithmetic.	l identify and
	MAFS.3.OA.4.9 Identify arithmetic patterns (including patterns i table or multiplication table), and explain them using propertie For example, observe that 4 times a number is always even, and times a number can be decomposed into two equal addends.	s of operations.
Assessment Limits	Adding and subtracting is limited to whole numbers within 1,00 All values in items may not exceed whole number multiplication or the related division facts.	
Calculator	No	
Item Types	Editing Task Choice Equation Editor GRID Hot Text Multiple Choice Multiselect Table Item	
Context	No context	
Sample Item		Item Type
See Appendix for the practice test item aligned to this standard.		

Content Standard	MAFS.3.NBT Number and Operations in Base Ten	
	MAFS.3.NBT.1 Use place value understanding and properties of perform multi-digit arithmetic.	f operations to
	MAFS.3.NBT.1.1 Use place value understanding to round whole nearest 10 or 100.	numbers to the
Assessment Limit	Items may contain whole numbers up to 1,000.	
Calculator	No	
Item Types	Equation Editor	
	GRID	
	Matching Item	
	Multiple Choice	
	Multiselect	
	Table Item	
Context	No context	
Sample Item		Item Type
What value is 846 ro	ounded to the nearest 100?	Equation Editor
A. Round 846 to the	e nearest hundred.	Equation Editor
B. Round 846 to the		
Select all the number □ 739 □ 751 □ 792 □ 805 □ 850	ers that will equal 800 when rounded to the nearest hundred.	Multiselect
An incomplete table numbers with possi	e is shown. Complete the table by filling in the missing original ble values.	Table Item
Number Near	nded to rest Ten 100 150 190	
Plot points on the number line to represent all whole number values that round to 500 when rounded to the nearest hundred and to 450 when rounded to the nearest ten.		
< ++++++++++++++++++++++++++++++++++++		
See Appendix for the practice test item aligned to this standard.		

Content Standard	MAFS.3.NBT Number & Operations in Base Ten			
	MAFS.3.NBT.1 Use place value understanding and properties of operations to perform multi-digit arithmetic.			
	MAFS.3.NBT.1.2 Fluently add and subtract within 1,000 using strategies and algorithms based on place value, properties of operations, and/or the relationship between addition and subtraction.			
Assessment Limits	Addends and sums are less than or equal to 1,000. Minuends, subtrahends, and differences are less than or equal	to 1,000.		
	Items may not require students to name specific properties.			
Calculator	No			
Item Types	Equation Editor			
	GRID			
	Multiple Choice			
	Multiselect			
	Table Item			
Context	No context			
Sample Item		Item Type		
What is the sum of 153, 121, and 178? Equ				
See Appendix for the practice test item aligned to this standard.				

Content Standard MAFS.3.NBT Number & Operations in Base Ten				
	MAFS.3.NBT.1 Use place value understanding and properties of perform multi-digit arithmetic.	of operations to		
MAFS.3.NBT.1.3 Multiply one-digit whole numbers by multiples of 10 in the range $10-90$ (e.g., 9×80 , 5×60) using strategies based on place value and properties of operations.				
Assessment Limit	Items may not require students to name specific properties.			
Calculator	No			
Item Types	Equation Editor Matching Item Multiple Choice Multiselect			
Context	Allowable			
Sample Item		Item Type		
What is the product	of 7 and 50?	Equation Editor		
Select all expressions that have a product of 320. Multiselect □ 3 x 90 4 x 80 □ 5 x 60 8 x 40 □ 9 x 30 9 x 30				
Mr. Engle has 10 tables in his classroom. There are 3 students at each table. Each student has 6 glue sticks. A. How many glue sticks are at each table?				
B. How many glue sticks do all of Mr. Engle's students have combined?				
See Appendix for the practice test item aligned to this standard.				

whole is partitioned into b equal parts; understand a fraction $\frac{a}{b}$ as the quantity formed by a parts of size $\frac{1}{b}$. Also Assesses: MAFS.3.G Geometry MAFS.3.G.1 Reason with shapes and their attributes. MAFS.3.G.1.2 Partition shapes into parts with equal areas. Express the area of each part as a unit fraction of the whole. For example, partition a shape into a parts with equal area, and describe the area of each part as a of the area of the shape. Assessment Limits Denominators are limited to 2, 3, 4, 6, and 8.	Content Standard	MAFS.3.NF Number and Operations — Fractions
whole is partitioned into b equal parts; understand a fraction $\frac{a}{b}$ as the quantity formed by a parts of size $\frac{1}{b}$. Also Assesses: MAFS.3.G Geometry MAFS.3.G.1 Reason with shapes and their attributes. MAFS.3.G.1.2 Partition shapes into parts with equal areas. Express the area of each part as a unit fraction of the whole. For example, partition a shape into a parts with equal area, and describe the area of each part as a of the area of the shape. Assessment Limits Denominators are limited to 2, 3, 4, 6, and 8.		MAFS.3.NF.1 Develop understanding of fractions as numbers.
 MAFS.3.G Geometry MAFS.3.G.1 Reason with shapes and their attributes. MAFS.3.G.1.2 Partition shapes into parts with equal areas. Express the area of each part as a unit fraction of the whole. For example, partition a shape into 4 parts with equal area, and describe the area of each part as \(\frac{1}{4} \) of the area of the shape. Assessment Limits Denominators are limited to 2, 3, 4, 6, and 8. 		MAFS.3.NF.1.1 Understand a fraction $\frac{1}{b}$ as the quantity formed by 1 part when a whole is partitioned into b equal parts; understand a fraction $\frac{a}{b}$ as the quantity formed by a parts of size $\frac{1}{b}$.
 MAFS.3.G.1 Reason with shapes and their attributes. MAFS.3.G.1.2 Partition shapes into parts with equal areas. Express the area of each part as a unit fraction of the whole. For example, partition a shape into 4 parts with equal area, and describe the area of each part as \(\frac{1}{4} \) of the area of the shape. Assessment Limits Denominators are limited to 2, 3, 4, 6, and 8. 		Also Assesses:
 MAFS.3.G.1.2 Partition shapes into parts with equal areas. Express the area of each part as a unit fraction of the whole. For example, partition a shape into 4 parts with equal area, and describe the area of each part as \(\frac{1}{4}\) of the area of the shape. Assessment Limits Denominators are limited to 2, 3, 4, 6, and 8. 		MAFS.3.G Geometry
each part as a unit fraction of the whole. For example, partition a shape into 4 parts with equal area, and describe the area of each part as $\frac{1}{4}$ of the area of the shape. Assessment Limits Denominators are limited to 2, 3, 4, 6, and 8.		MAFS.3.G.1 Reason with shapes and their attributes.
Assessment Limits Denominators are limited to 2, 3, 4, 6, and 8.		each part as a unit fraction of the whole. For example, partition a shape into 4
, , , ,		-
Items are limited to combining or putting together unit fractions rather than formal addition or subtraction of fractions. Maintain concept of a whole as one entity that can be equally partitioned in various ways when working with unit fractions. Fractions a/b can be fractions greater than 1.	Assessment Limits	Items are limited to combining or putting together unit fractions rather than formal addition or subtraction of fractions. Maintain concept of a whole as one entity that can be equally partitioned in various ways when working with unit fractions.
Items may not use the term "simplify" or "lowest terms" in directives. Items may not use number lines. Shapes may include: quadrilateral, equilateral triangle, isosceles triangle, regula		Items may not use the term "simplify" or "lowest terms" in directives. Items may not use number lines. Shapes may include: quadrilateral, equilateral triangle, isosceles triangle, regular
hexagon, regular octagon, and circle. Calculator No	Calculator	
Item Types Equation Editor GRID Multiple Choice Multiselect		Equation Editor GRID Multiple Choice Multiselect
Table Item Context Allowable for 3.NF.1.1; no context for 3.G.1.2	Context	

Sample Item	Item Type
Each model shown has been shaded to represent a fraction. Which model shows $\frac{1}{4}$	Multiple Choice
shaded?	
A	
B	
C.	
D.	
Each model shown has been shaded to represent a fraction. Which model shows $\frac{3}{4}$	Multiple Choice
shaded?	
A	
В.	
c.	
D.	
A figure is shown. Part of the figure is shaded.	Equation Editor
Which fraction of the total area of the figure does the shaded part represent?	
A figure is shown. Part of the figure is shaded.	Equation Editor
	1,000
Which fraction of the total area of the figure does the shaded part represent?	

Sample Item	Item Type
A half of a shape is shown.	GRID
Click squares to complete the whole shape.	
A sixth of a shape is shown.	GRID
Click squares to complete the whole shape.	
Each shape shown represents $\frac{1}{2}$ of a whole. Drag the shapes into the box to show $\frac{5}{2}$. Each $\frac{1}{2}$ is one whole. is $\frac{5}{2}$.	GRID
Each shape shown represents $\frac{1}{2}$ of a whole. $\frac{1}{2}$ $\frac{1}{2}$	Equation Editor
How many shapes should be put together to make $\frac{5}{2}$?	
See Appendix for the practice test item aligned to a standard in this group.	

Content Standard	MAFS.3.NF Number and Operations – Fractions				
	MAFS.3.NF.1 Develop understanding of fractions as numbers.				
	MAFS.3.NF.1.2 Understand a fraction as a number on the number fractions on a number line diagram.	er line; represent			
	MAFS.3.NF.1.2a Represent a fraction $\frac{1}{b}$ on a number line diagrammeter interval from 0 to 1 as the whole and partitioning it into b equations each part has size $\frac{1}{b}$ and that the endpoint of the part base number $\frac{1}{b}$ on the number line.	al parts. Recognize			
	MAFS.3.NF.1.2b Represent a fraction $\frac{a}{b}$ on a number line diagram	m by marking off <i>a</i>			
	lengths $\frac{1}{h}$ from 0. Recognize that the resulting interval has size				
	endpoint locates the number $\frac{a}{b}$ on the number line.	-			
Assessment Limits	Denominators are limited to 2, 3, 4, 6, and 8. Number lines in MAFS.3.NF.1.2b items may extend beyond 1. Only whole number marks may be labeled on number lines.				
Calculator	No				
Item Types	Equation Editor GRID Multiple Choice Multiselect				
Context	No context				
Sample Item		Item Type			
Which number line	is divided into thirds?	Multiple Choice			
A. •	1				
B. •	;				
C. <1	1 1				
D. •					

Sample Item	Item Type
What fraction is represented by the total length marked on the number	Equation Editor
line shown?	
What fraction is represented by the length marked on the number line shown?	Equation Editor
\leftarrow	
0 1 2	
See Appendix for the practice test item aligned to a standard in this group.	

Content Standard	MAFS.3.NF Number and Operations — Fractions
	MAFS.3.NF.1 Develop understanding of fractions as numbers.
	MAFS.3.NF.1.3 Explain equivalence of fractions in special cases, and compare fractions by reasoning about their size.
	MAFS.3.NF.1.3a Understand two fractions as equivalent (equal) if they are the same size, or the same point on a number line.
	MAFS.3.NF.1.3b Recognize and generate simple equivalent fractions, e.g., $\frac{1}{2} = \frac{2}{4}$, $\frac{4}{6} = \frac{2}{3}$. Explain why the fractions are equivalent, e.g., by using a visual fraction model.
	MAFS.3.NF.1.3c Express whole numbers as fractions, and recognize fractions that are equivalent to whole numbers. <i>Examples: Express 3 in the form 3</i> = $\frac{3}{1}$; recognize that $\frac{6}{1}$ = 6; locate $\frac{4}{4}$ and 1 at the same point of a number line diagram.
	MAFS.3.NF.1.3d Compare two fractions with the same numerator or the same denominator by reasoning about their size. Recognize that comparisons are valid only when the two fractions refer to the same whole. Record the results of comparisons with the symbols >, =, or <, and justify the conclusions, e.g., by using a visual fraction model.
Assessment Limits	Denominators are limited to 2, 3, 4, 6, and 8. Fractions must reference the same whole entity that can be equally partitioned, unless item is assessing MAFS.3.NF.1.3d. Items may not use the term "simplify" or "lowest terms" in directives. Visual models may include number lines and area models. Only whole number marks may be labeled on number lines.
Calculator	No
Item Types	Equation Editor GRID Matching Item Multiple Choice Multiselect Table Item
Context	Allowable

Sample Item	Item Type
Jenni and Jimmy's equal-sized pizzas are each cut into 8 pieces. Jenni eats 2 slices of her pizza, and Jimmy eats 3 slices of his pizza.	GRID
Click on Jenni's pizza to show how much she ate. Click on Jimmy's pizza to show how much he ate.	
Drag <, >, or = to the box to make a true statement.	
S Pelete S Jimmy Jimmy	
Jenni's and Jimmy's equal-sized pizzas are each cut into 8 slices. Jenni eats 2 slices	GRID
of her pizza, and Jimmy eats 3 slices of his pizza. Jenni Jimmy	
Complete the comparison of Jenni's pizza to Jimmy's pizza.	
0 1 2 3 4 5 6 7 8 9	

Sample Item	Item Type
Mary has two models, each divided into equal-sized sections. The first model has	GRID
been shaded to represent a fraction.	
Click to shade sections on the second model to show a fraction equivalent to the	
one in the first model.	
Create a true comparison of the 2 fractions.	
1 1	
3 1	

See Appendix for the practice test item aligned to a standard in this group.

Content Standard	MAFS.3.MD	vieusui eiiieii				
	MAFS.3.MD. 2 of time, liquid			~	ment and est	imation of intervals
		inutes. Solve	word probl	ems involvi	ing addition a	measure time and subtraction of n a number line
Assessment Limits	Clocks may be	e analog or d	igital.			
	Digital clocks	may not be ι	used for iten	ns that requ	uire telling or	writing time in
	isolation.					
Calculator	No					
Item Types	Equation Edit	or				
	GRID					
	Multiple Choi	ice				
	Multiselect					
	Table Item	Table Item				
Context	Allowable					П т
Sample Item		. F. 1 F	laguage tha			Item Type
Sample Item Alex arrives at the g	rocery store at	•				Item Type GRID
Sample Item Alex arrives at the g 75 minutes later. Pla	rocery store at	•				
Sample Item Alex arrives at the g	rocery store at	•				
Sample Item Alex arrives at the g 75 minutes later. Pla grocery store.	rocery store at ace an arrow o	n the numbe				
Sample Item Alex arrives at the g 75 minutes later. Pla grocery store. 5:30 6:00	rocery store at ace an arrow of 6:30 7:00	7:30 8:00				
Alex arrives at the g 75 minutes later. Pla grocery store. 5:30 6:00	rocery store at ace an arrow of 6:30 7:00	7:30 8:00				
Sample Item Alex arrives at the g 75 minutes later. Pla grocery store. 5:30 6:00 5:15 5:45 6:15 Tim	6:30 7:00 6:45 7:15	7:30 8:00	r line to sho	w the time	he left the	GRID
Sample Item Alex arrives at the g 75 minutes later. Pla grocery store. 5:30 6:00 5:15 5:45 6:15 Tim Alex arrives at the g	rocery store at ace an arrow of 6:30 7:00 6:45 7:15 (p.m.)	7:30 8:00 5 7:45	r line to sho	w the time	he left the	
Sample Item Alex arrives at the g 75 minutes later. Pla grocery store. 5:30 6:00 5:15 5:45 6:15 Tim	rocery store at ace an arrow of 6:30 7:00 6:45 7:15 (p.m.)	7:30 8:00 5 7:45	r line to sho	w the time	he left the	GRID
Alex arrives at the grocery store. 5:30 6:00 5:15 5:45 6:15 Tim Alex arrives at the g	rocery store at ace an arrow of 6:30 7:00 6:45 7:15 rocery store at the grocery store	7:30 8:00 5 7:45 5:17 p.m. Here?	r line to sho	w the time	he left the	GRID Equation Editor
Alex arrives at the grocery store. 5:30 6:00 5:15 5:45 6:15 Tim Alex arrives at the grocery store.	frocery store at ace an arrow of ace an arrow of ace an arrow of ace an arrow of ace	7:30 8:00 7:45 5:17 p.m. Here?	e leaves at 5	w the time	ow many re is shown.	GRID Equation Editor Table Item
Alex arrives at the grocery store. 5:30 6:00 5:35 6:15 Tim Alex arrives at the gminutes was he in the gminutes at the gminutes was he in the grocery store.	frocery store at ace an arrow of ace an arrow of ace an arrow of ace an arrow of ace	7:30 8:00 7:45 5:17 p.m. Here?	e leaves at 5	w the time	ow many re is shown.	GRID Equation Editor Table Item
Alex arrives at the grocery store. 5:30 6:00 5:15 5:45 6:15 Tim Alex arrives at the grocery store.	frocery store at ace an arrow of ace an arrow of ace an arrow of ace an arrow of ace	7:30 8:00 7:45 5:17 p.m. Here?	e leaves at 5	w the time	ow many re is shown.	GRID Equation Editor Table Item
Alex arrives at the grocery store. 5:30 6:00 5:35 6:15 Tim Alex arrives at the gminutes was he in the gminutes at the gminutes was he in the grocery store.	frocery store at ace an arrow of ace (p.m.) frocery store at the grocery store at ace grocery store at accomplete the ace accomplete the accomplete t	7:30 8:00 7:45 5:17 p.m. Here?	e leaves at 5	w the time	ow many re is shown.	GRID Equation Editor Table Item
Alex arrives at the grocery store. 5:30 6:00 5:35 6:15 Tim Alex arrives at the gminutes was he in the Alex has chores even he starts at 9:00 a.m each chore.	rocery store at ace an arrow of 6:30 7:00 6:45 7:15 6:45 7:15 rocery store at the grocery store at the groce	7:30 8:00 7:45 5:17 p.m. Here? gth of time, if e table to sho	r line to show	w the time	ow many re is shown.	GRID Equation Editor Table Item
Alex arrives at the grocery store. 5:30 6:00 5:15 5:45 6:15 Tim Alex arrives at the gminutes was he in the starts at 9:00 a.m each chore. Chore	frocery store at ace an arrow of ace (p.m.) frocery store at the grocery store at ace grocery store at accomplete the Chore	7:30 8:00 5 7:45 7:45 7:45 7:45 7:45 7:45 7:45 7:45	e leaves at 5	w the time	ow many re is shown.	GRID Equation Editor Table Item
Alex arrives at the g 75 minutes later. Pla grocery store. 5:30 6:00 5:15 5:45 6:15 Tim Alex arrives at the g minutes was he in the starts at 9:00 a.n each chore. Chore Watering flowers	frocery store at ace an arrow of ace (p.m.) frocery store at the grocery store at ace accomplete the Complete the Chore 12 minutes	7:30 8:00 7:45 5:17 p.m. Here? gth of time, if e table to sho	r line to show	w the time	ow many re is shown.	GRID Equation Editor Table Item
Alex arrives at the grocery store. 5:30 6:00 5:15 5:45 6:15 Tim Alex arrives at the gminutes was he in the starts at 9:00 a.m each chore. Chore	frocery store at ace an arrow of ace (p.m.) frocery store at the grocery store at ace grocery store at accomplete the Chore	7:30 8:00 5 7:45 7:45 7:45 7:45 7:45 7:45 7:45 7:45	r line to show	w the time	ow many re is shown.	GRID Equation Editor Table Item

Content Standard	MAFS.3.MD Measurement and Data	
	MAFS.3.MD.1 Solve problems involving measurement and estin of time, liquid volumes, and masses of objects.	nation of intervals
	MAFS.3.MD.1.2 Measure and estimate liquid volumes and masse standard units of grams (g), kilograms (kg), and liters (l). Add, so or divide to solve one-step word problems involving masses or given in the same units.	ubtract, multiply,
Assessment Limits	Items may not contain compound units such as cubic centimeter finding the geometric volume of a container. Items may not require multiplicative comparison (e.g., "times a Unit conversions are not allowed.	
Calculator	No	
Item Types	Equation Editor GRID Multiple Choice Multiselect	
Context	Allowable	
Sample Item		Item Type
25 L 20 15 10 5	of water are in the following container?	Equation Editor

Sample Item		Item Type
	ave same-sized containers filled with different amounts of	Equation Editor
water, as shown.	ave same sized containers fined with different amounts of	Equation Euro
•		
Gina	Maurice	
—5 L		
3 L		
2		
$\frac{3}{2}$		
_2		
Gina's container has	s 4 liters (L) of water. About how much water, in liters (L), does	
Maurice's container	have?	
Gina and Maurice h	ave the containers shown.	Equation Editor
Cina	Maurica	
Gina	Maurice	
	200 L	
	150	
	100	
	50	
	50	
Gina does not know	how much water is in her container. Maurice's container is the	
	container. About how much less water, in liters (L), does Gina	
have than Maurice?		
C. A P. C H.	e practice test item aligned to this standard.	•
See Appendix for th		

Content Standard	MAFS.3.MD Measurement and Data	
	MAFS.3.MD.2 Represent and interpret data.	
	MAFS.3.MD.2.3 Draw a scaled picture graph and a scaled bar graduata set with several categories. Solve one- and two-step "how "how many less" problems using information presented in scal example, draw a bar graph in which each square in the bar graduate represent 5 pets.	many more" and ed bar graphs. For
Assessment Limits	The number of data categories are six or fewer. Items must provide appropriate scale and/or key unless item is feature. Only whole number marks may be labeled on number lines.	assessing that
Calculator	No	
Item Types	Equation Editor GRID Multiple Choice Multiselect Table Item	
Context	Required	
Sample Item		Item Type
John surveys his clas	ssmates about their favorite foods, as shown in the table.	GRID
Favorita Food		
Favorite Food		
Hamburger	2	
Salad	5	
Pizza	8	
Click on the graph to complete the bar graph.		
Number of Classmates 0 Hamburge	er Salad Pizza ype of Food	

Sample Item		Item Type
John surveys his class	mates about their favorite foods, as shown in the bar graph.	Equation Editor
Number of Classmates Order Hamburger Typ	Salad Pizza de of Food	
How many more class	smates prefer pizza over salad?	
John surveys his class	mates about their favorite foods, as shown in the table.	GRID
Γ		
Favorite Food		
Hot Dogs	5	
Pizza	9	
Salad	6	
Chicken	3	
Fish	8	
Number of Classmates 10 8 9 Hot Dogs Pizz Hot Dogs Pizz	create a bar graph that represents the data. ra Salad Chicken Fish vorite Food	
See Appendix for the	practice test item aligned to this standard.	

Content Standard	ard MAFS.3.MD Measurement and Data		
	MAFS.3.MD.2 Represent and interpret data.		
	MAFS.3.MD.2.4 Generate measurement data by measuring ler marked with halves and fourths of an inch. Show the data by where the horizontal scale is marked off in appropriate unitshalves, or quarters.	making a line plot,	
Assessment Limits	Standard rulers may not be used; only special rulers that are marked off in halves or quarters are allowed. Measurements are limited to inches.		
Calculator	No		
Item Types	Equation Editor GRID Matching Item Multiple Choice Multiselect Allowable		
Context	Allowable	Itana Tura	
Sample Item A pencil is shown.		Item Type Equation Editor	
inches (in.)			
		Equation Editor	
What is the length of the pencil to the nearest half inch?			
A pencil is shown. Equation Editor			
0 1 2 3 4 5 6 inches (in.)			
What is the length of the pencil to the nearest quarter inch?			
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.MD Measurement and Data	
	MAFS.3.MD.3 Geometric measurement: understand concepts of area to multiplication and addition.	f area and relate
	MAFS.3.MD.3.5 Recognize area as an attribute of plane figures and understand concepts of area measurement.	
	MAFS.3.MD.3.5a A square with side length 1 unit, called "a unit square," is said to have "one square unit" of area, and can be used to measure area.	
	MAFS.3.MD.3.5b A plane figure which can be covered without gan unit squares is said to have an area of <i>n</i> square units.	aps or overlaps by
	Also Assesses:	
	MAFS.3.MD.3.6 Measure areas by counting unit squares (square square in, square ft, and improvised units).	cm, square m,
Assessment Limits	Items may include plane figures that can be covered by unit squares. Items may not include exponential notation for unit abbreviations (e.g., "cm²").	
Calculator	No	
Item Types	Equation Editor Multiple Choice	
	Multiselect	
Context	Allowable	
Sample Item	Sample Item Type	
Alex put the tiles sh	own on his floor.	Equation Editor
1 foot		
1 foot		
What is the area, in square feet, of Alex's floor?		

Sample Item	Item Type
The area of Alex's floor is 30 square feet.	Multiselect
Select all the floors that could be Alex's.	
1 foot	
1 foot	
1 foot	
☐ 1 foot	
1 foot 1 foot	
☐ 1 foot ☐ 1 foot	
1 foot	
1 foot	
	<u> </u>
See Appendix for the practice test item aligned to a standard in this group.	

Content Standard	MAFS.3.MD Measurement and Data
	MAFS.3.MD.3 Geometric measurement: understand concepts of area and relate area to multiplication and addition.
	MAFS.3.MD.3.7 Relate area to the operations of multiplication and addition.
	MAFS.3.MD.3.7a Find the area of a rectangle with whole-number side lengths by tiling it, and show that the area is the same as would be found by multiplying the side lengths.
	MAFS.3.MD.3.7b Multiply side lengths to find areas of rectangles with whole- number side lengths in the context of solving real world and mathematical problems, and represent whole-number products as rectangular areas in mathematical reasoning.
	MAFS.3.MD.3.7c Use tiling to show in a concrete case that the area of a rectangle with whole-number side lengths a and $b+c$ is the sum of $a \times b$ and $a \times c$. Use area models to represent the distributive property in mathematical reasoning.
	MAFS.3.MD.3.7d Recognize area as additive. Find areas of rectilinear figures by decomposing them into non-overlapping rectangles and adding the areas of the non-overlapping parts, applying this technique to solve real world problems.
Assessment Limits	Figures are limited to rectangles and shapes that can be decomposed into rectangles. Dimensions of figures are limited to whole numbers. All values in items may not exceed whole number multiplication facts of 10 x 10.
Calculator	No
Item Types	Equation Editor
	GRID Multiple Choice Multiselect
Context	Allowable

Sample Item	Item Type
A park is in the shape of the rectangle shown	. Equation Editor
7 miles	
6 miles	
What is the area, in square miles, of the park	?
a park is shown.	Equation Editor
← 10 miles ← →	
4 miles	
4 miles	
3 miles	

Content Standard	MAFS.3.MD Measurement and Data		
	MAFS.3.MD.4 Geometric measurement: recognize perimeter as an attribute of plane figures and distinguish between linear and area measures.		
	MAFS.3.MD.4.8 Solve real world and mathematical problems involving perimeters of polygons, including finding the perimeter given the side lengths, finding an unknown side length, and exhibiting rectangles with the same perimeter and different areas or with the same area and different perimeters.		
Assessment Limits	For items involving area, only polygons that can be tiled with square units are allowable. Dimensions of figures are limited to whole numbers.		
	All values in items may not exceed whole number multiplication	n facts of 10 x 10.	
	Items are not required to have a graphic, but sufficient dimensi must be given.		
Calculator	No		
Item Types	Equation Editor GRID Multiple Choice		
Context	Multiselect Required		
Sample Item	, ricquired	Item Type	
	Ben is planning a garden. Which measurement describes the perimeter of Multiple Choic		
 A. the length of fence he will need B. the amount of soil he will need C. the number of seeds he will buy D. the length of the garden multiplied by the width 			
Ben's garden has a perimeter of 32 feet. Draw a rectangle that could represent the garden. GRID			
Ben has a rectangular garden with side lengths of 2 feet and 5 feet. What is the perimeter, in feet, of Ben's garden? Equation Editor			
Ben wants to create a rectangular garden with an area less than 40 square feet. He has 30 feet of fencing. Draw a rectangle that could represent Ben's garden.			
See Appendix for the practice test item aligned to this standard.			

Content Standard	MAFS.3.G Geometry	
	MAFS.3.G.1 Reason with shapes and their attributes.	
	MAFS.3.G.1.1 Understand that shapes in different categories (e rectangles, and others) may share attributes (e.g., having four the shared attributes can define a larger category (e.g., quadril Recognize rhombuses, rectangles, and squares as examples of and draw examples of quadrilaterals that do not belong to any subcategories.	sides), and that aterals). quadrilaterals,
Assessment Limits	Shapes may include two-dimensional shapes and the following quadrilaterals: rhombus, rectangle, square, parallelogram, and trapezoid. Items may reference and/or rely on the following attributes: number of sides, number of angles, whether the shape has a right angle, whether the sides are the same length, and whether the sides are straight lines. Items may not use the terms "parallel" or "perpendicular." Items that include trapezoids must consider both the inclusive and exclusive definitions. Items may not use the term "kite" but may include the figure.	
Calculator	No	
Item Types	Editing Task Choice GRID Hot Text Matching Item Multiple Choice Multiselect Open Response	
Context	No context	
Sample Item		Item Types
A square and a trap	ezoid are shown below.	Multiselect
Which attributes do these shapes always have in common? number of sides side lengths angle measures right angles number of angles		
Select the shapes that are always quadrilaterals and not rectangles. I rhombus I parallelogram I triangle I trapezoid I square		

Sample Item	Item Type
Draw a quadrilateral that is not a rectangle.	GRID
What is the name of a shape that is a quadrilateral but not a rectangle? A. hexagon B. parallelogram C. square	Multiple Choice
C. square D. triangle	
See Appendix for the practice test item aligned to this standard.	

Appendix A

The chart below contains information about the standard alignment for the items in the Grade 3 Mathematics FSA Computer-Based Practice Test at http://fsassessments.org/students-and-families/practice-tests/.

Content Standard	Item Type	Computer-Based Practice Test Item Number
MAFS.3.OA.1.1	Table Item	10
MAFS.3.OA.1.2	Multiselect	4
MAFS.3.OA.1.3	Equation Editor	17
MAFS.3.OA.1.4	Multiple Choice	1
MAFS.3.OA.2.5	Multiple Choice	23
MAFS.3.OA.2.6	GRID	14
MAFS.3.OA.3.7	Table Item	6
MAFS.3.OA.4.8	Multiple Choice	21
MAFS.3.OA.4.9	Multiple Choice	12
MAFS.3.NBT.1.1	Matching Item	2
MAFS.3.NBT.1.2	Multiselect	15
MAFS.3.NBT.1.3	Equation Editor	22
MAFS.3.NF.1.1	GRID	19
MAFS.3.NF.1.2b	GRID	5
MAFS.3.NF.1.3c	Multiselect	9
MAFS.3.MD.1.1	Multiple Choice	13
MAFS.3.MD.1.2	Equation Editor	3
MAFS.3.MD.2.3	GRID	11
MAFS.3.MD.2.4	GRID	16
MAFS.3.MD.3.6	Multiple Choice	20
MAFS.3.MD.3.7d	Equation Editor	8
MAFS.3.MD.4.8	GRID	18
MAFS.3.G.1.1	Open Response	7

Appendix B: Revisions

Page(s)	Revision	Date
13	Item types and sample items revised.	May 2016
14-15	Assessment limits revised.	May 2016
16	Sample item revised.	May 2016
17	Sample items revised.	May 2016
18	Item types revised.	May 2016
19	Item types revised.	May 2016
20	Item types revised.	May 2016
21	Item types revised.	May 2016
22	Item types revised.	May 2016
23-25	Assessment limits revised.	May 2016
26-27	Assessment limits revised.	May 2016
28-30	Assessment limits and sample items revised.	May 2016
31	Item types and sample items revised.	May 2016
32-33	Assessment limits, item types, and sample items revised.	May 2016
34-35	Assessment limits and item types revised.	May 2016
36	Item types revised.	May 2016
39-40	Sample items revised.	May 2016
41	Assessment limits revised.	May 2016
42-43	Assessment limits, item types, and sample items revised.	May 2016
44	Appendix A added to show Practice Test information.	May 2016